## Written calculations policy for Brookland Infant and Brookland Junior School

This policy has been largely adapted from the White Rose Maths Hub Calculation Policy with further material added.

## Aims

- To outline for teaching staff and parents the written strategies for calculation taught at Brookland Infant and Junior School for addition, subtraction, multiplication and division, in line with the new curriculum for Mathematics.
- To show how using key pieces of practical maths apparatus helps to accelerate the children's learning.
- To ensure consistency of approach from one year group to the next.
- To enable children to develop confidence and fluency in calculations that they will be able to apply to a variety of problem-solving activities.

At Brookland Infant and Junior schools, we aim, through creative and inclusive lessons, to create a sense of excitement and curiosity around Mathematics. Children are encouraged to make links between what they are learning and the world around them. A high quality maths education provides a foundation for understanding of the world. Maths is essential to everyday life and necessary in almost all forms of employment. As children learn mathematics, they are acquiring fluency in mental methods (maths they do in their heads) as well as written methods.

Although the way we teach calculation is organised in a sequence, teaching staff work with the ethos that individual children's needs denote the part of the curriculum that should be accessed. Progression in mathematics for all children is essential and so, no matter what their starting point, through accurate assessment, high expectations and quality teaching, pupils are able to realise their mathematical potential. All teachers ensure children with special educational needs are as carefully planned for and inclusivity is at the heart of what we do. Cross-curricular links are made where possible, particularly in science, through the use of technology and during whole school topics. Children at our schools understand that mathematics can be found everywhere and in everything, and exploring and being creative with maths is essential to developing an enthusiasm and fascination for the subject.

The National Curriculum for Mathematics aims to ensure all pupils:

- Become fluent in fundamentals of mathematics so that they are efficient in using and selecting the appropriate written algorithms and mental methods, underpinned by mathematical concepts
- Can solve problems by applying their mathematics to a variety of problems with increasing sophistication, including in unfamiliar contexts and to model real-life scenarios
- Can reason mathematically by following a line of enquiry and develop and present a justification, including in unfamiliar mathematical language.

At our schools, children are first given the opportunity to explore mathematical concepts using the following practical resources;


Numicon - aids children in recogribing how much a number is worth, ordering and comsarire numbers. Numicon is abo used to telp children explain theif mathematical thinking when problem solvine.


Place value table - aids children is understanding how mach a number is worth. This is also used when
multip Ying and dividing by 10,100 and 1000. showing how the digits move to the left or the right.


Counters-counters are used to aid children with counting. We also use the different colcurs to represent different amounts, introduang algebralk trinking.


Hundred number square- used to aid early counting Excellent for adding and subtracting 10 Chidren can use this to find patterns in moltiplication tables.


Bead strings - bead strings are used for al foar operations (addision subtraction, division and multipication). ney are alse used to count up in different amounts.


Place value arrow cards - used to denonstrate how much a number is werth. Also used to partition numben (break up into, for example, hundreds, tens and unitsi and add or subtract.


Place value counters
Dienes/base 10 - used to demenstrate a visual represestation when understanding the value of numbers. They are also used for all four operations. Dleres/bate 10 are related to each other in terms of sise helpine children to compare numbers.


Money-used when problem solving with moner and to help understanding of decimals.

These aid children with the ir understanding of place value when learning written methods of the four operations.

## Year 1 Addition

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Combining two parts to make a whole: part-whole model | Use part part whole model. <br> Use cubes to add two numbers together as a group or in a bar. |  | $10=6+4=7 \quad \begin{aligned} & 4+3 \\ & \begin{array}{l} \text { whole the part-part } \\ \text { shown above to move } \\ \text { into the abstract. } \end{array} \end{aligned}$ |
| Starting at the bigger number and counting on | Start with the largernumber on the bead string and then count on to the smaller number 1 by 1 to find the answer. | $12+5=17$ <br> Start at the larger number on the number line and count on in ones or in one jump to find the answer. | $5+12=17$ <br> Place the larger number in your head and count on the smaller number to find your answer. |
| Regrouping to make 10. <br> This is an essential skill for column addition later. | $6+5=11$ <br> Start with the bigger number and use the smaller number to make 10 . <br> Use ten frames. | Use pictures or a number line. Regroup or partition the smaller number using the part part whole model to make 10. $9+5=14$ <br> (1) 4 | $7+4=11$ <br> If I am at seven, how many more do I need to make 10. How many more do l add on now? |
| Represent \& use number bonds and related subtraction facts within 20 | 2 more than 5 . |  | Emphasis should be on the language <br> ' 1 more than 5 is equal to 6' <br> 2 more than 5 is 7 .' <br> ' 8 is 3 more than 5 .' |

## Year 1 Addition

| Objective \& Strategy | Concrete | Pictorial |  |
| :---: | :---: | :---: | :---: |
| Adding multiples of ten | $50=30=20$ <br> Model using dienes and bead strings | Use representations for base ten. | $\begin{aligned} & 20+30=50 \\ & 70=50+20 \\ & 40+\square=60 \end{aligned}$ |
| Use known number facts <br> Part part whole | Children explore ways of making numbers within 20 | $\begin{gathered} 20 \\ \square+\square=20 \\ \square+\square=20 \\ \square=\square \\ \hline=-\square=\square \end{gathered}$ | $\begin{array}{ll} \square+1=16 & 16-1=\square \\ 1+\square=16 & 16-\square=1 \end{array}$ |
| Using known facts | $\begin{aligned} & \square_{\square}+\square_{\square}=\square_{\square} \square_{\square} \square \\ & \square \square \square+\square+\square \square \square \end{aligned}$ | Children draw representations of $\mathrm{H}, \mathrm{T}$ and O | $3+4=7$ <br> leads to $30+40=70$ <br> leads to $300+400=700$ |
| Bar model | $3+4=7$ | $7+3=10$ | 23 25 <br> $?$ $23+25=48$ |

## Year 2 Addition

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Add a two digit number and ones | $17+5=22$ <br> Use ten frame to make 'magicten <br> Children explore the pattern. $\begin{aligned} & 17+5=22 \\ & 27+5=32 \end{aligned}$ |  | $17+5=22$ <br> Explore related facts $\begin{aligned} & 17+5=22 \\ & 5+17=22 \\ & 22-17=5 \\ & 22-5=17 \end{aligned}$ |
| Add a 2 digit number and tens | Explore that the ones digit does not change |  | $\begin{aligned} & 27+10=37 \\ & 27+20=47 \\ & 27+a=57 \end{aligned}$ |
| Add two 2-digit numbers | $\text { / } / \text { /If } \operatorname{lig}_{0_{0}}^{0_{0}}$ <br> Model using dienes, place value counters and numicon | Use number line and bridge ten using part whole if necessary. | $\begin{gathered} \int_{20}^{25+47} \\ 20+40=60 \\ 5+7=12 \\ 60+12=72 \end{gathered}$ |
| Add three 1-digit numbers | Combine to make 10 first if possible, or bridge 1o then add third digit | $\operatorname{li}^{+}+8^{8}+\sqrt{8}+8^{2}$ <br> Regroup and draw representation. | $\begin{aligned} 4+7+6 & =10+7 \\ & =17 \end{aligned}$ <br> Combine the two numbers that makef bridge ten then add an the third. |

## Year 3 Addition

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Column Addition-no regrouping (friendly numbers) <br> Add two or three 2 or 3digit numbers. |  <br> Model using Dienes or numicon <br> Add together the ones first, then the tens. <br> Move to using place value counters | Children move to drawing the counters using a tens and one frame. | $\begin{array}{r} 223 \\ +114 \\ \hline 337 \end{array}$ <br> Add the ones first, then the ters, then the hundreds. |
| Column Addition with regrouping. | Exchange ten ones for a ten. Model using numicon and pv counters. |  <br> Thildren can draw a repesentation of the grid to urther support their inderstanding, carrying he ten undemeath the ine | $\begin{array}{lll} 20 & + & 5 \\ 40 & + & 8 \\ 60 & + & 13 \end{array}=73$ |

## Years 4-6 Addition



## Year 1 Subtraction

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Taking away ones. | Use physical objects, counters, cubesetc to show how objects can be taken away. | $15-3=12$ <br> Cross out drawn objects to show what has been taken away. | $7-4=3$ $16-9=7$ |
| Counting back | Move objects away from the group, counting backwards. <br> Move the beads along the bead string as you count backwards. | Count back in ones using a numberline. | Put 13 in your head, count back 4 . What number are you at? |
| Find the <br> Difference | Compare objects and amounts | Count on using a number line to find the difference. | Hannah has 12 sweets and her sister has 5. How many more does Hannah have than her sister.? |

## Year 1 Subtraction

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Represent and use number bonds and related subtraction facts within 20 <br> Part Part Whole model | Link to addition. Use PPW madel to madel the inverse. <br> If 10 is the whole and 6 is one of the arts. what $s$ the other part? $10-6=4$ | Use pictorial reporesentations to show the part. | Move to using numbers within the part whole model. |
| Make 10 | Make 14 an the ten frame. Take 4 anway to make tern, then take one more anwary so that you have takeen 5 . | Jurnp back 3 first, then another 4. Use ten as the stopping point. | $16-8$ <br> How marly do wee take off first to get to $10 ?$ How many left to take off? |
| Bar model | $5-2=3$ |  | 8 2$\begin{aligned} & 10=8+2 \\ & 10=2+8 \\ & 10-2=8 \\ & 10-8=2 \end{aligned}$ |

## Year 1/2 Subtraction

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Regroup a ten into ten ones | Use a PV chart to show how to change a ten into tenones, use the term 'take and make' |  | $20-4=16$ |
| Partitioning to subtract without regrouping. <br> 'Friendly numbers' | $34-13=21$ <br> Use Dienesto show how to partition the number when subtracting without regrouping. | Children draw representations of Dienes and cross off. $43-21=22$ | $43-21=22$ |
| Make ten strategy <br> Progression should be crossing ane ten, crossing more than ane ten, crossing the hundreds. | Use a bead bar or bead strings to model counting to nextten and the rest. | Use a number line to counton to next ten and then the rest. | $93-76=17$ |

## Year 3 Subtraction

| Objective \＆ Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Column subtraction without regrouping （friendly numbers） | Use base 10 or Numiconto model | Darw representations to support under－ standing | $\begin{gathered} 47-24=23 \\ -20+7 \\ -20+3 \\ \hline 20+3 \end{gathered}$ <br> Intermediatestep may be needed to lead to clear subtraction under－ standing． |
| Column subtraction with regrouping | Begin with base 10 or Numicon．Move to pv counters，modelling the exchange of a ten into tten ones．Use the phrase＇take and make＇for exchange． |  $\begin{aligned} & \square \begin{array}{l} { }^{\circ} 0_{0}=16 \\ 10 \\ 0 \end{array}=16 \end{aligned}$ <br> Children maydraw base ten or PV counters and cross off． | $836-254=582$   <br> 30゙8 130 6 <br> -200 50 4 <br> 500 80 2 <br> Begin by parti－ tioning into pv columns <br> Then move to formal method． |

## Years 4-6 Subtraction

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Subtracting tens and ones <br> Year 4 subtract with up to 4 digits. <br> intraduce decimal subtraction through cantext of maney | $234-179$  <br> Model process of exchange using Numicon, base ten and then move to PV counters. | Children to draw pv counters and show the ir exchange-see Y3 | Use the phrase 'take and make' for exchange |
| Year 5-Subtract with at least 4 digits, including money and measures. <br> subtract with decimal values, including mixtures of integers and decimals and aligning the decimal | As Year 4 | Children to draw pv counters and show the ir exchange-see Y3 |  |
| Year 6-Subtract with increasingly large and more complex numbers and decimal values. |  |  |  |

## Year 1 Multiplication

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Doubling | Use practical activities using manipultives including cubes and Numicon to demonstrate doubling | Draw pictures to show how to double numbers <br> Double 4 is 8 | Partition a number and then double each part before recombining it back together. |
| Counting in multiples | Count the groups as children are skip counting, children may use their fingers as they are skip counting. | Children make representations to show counting in multiples. $\frac{2}{10010010} \frac{2}{2} \underbrace{2}_{4} \frac{2}{2} \frac{2}{2}$ | Count in multiples of a number aloud. <br> Write sequences with multiples of numbers. $2,4,6,8,10$ $5,10,15,20,25,30$ |
| Making equal groups and counting the total | Use manipulatives to create equal groups. | Draw to show $2 \times 3=6$ <br> Draw and make representations | $2 \times 4=8$ |

## Year 1 Multiplication

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Repeated addition | Use different objects to add equal groups | Use pictorial including number lines to solve prob There are 3 sweets in one bag. How many sweets are in 5 bags altogether? | Write addition sentences to describe objects and pictures. |
| Understanding arrays | Use objects laid out in arrays to find the answers to 2 lots 5, 3 lots of 2 etc. | Draw representations of arrays to show understanding | $\begin{gathered} 3 \times 2=6 \\ 2 \times 5=10 \end{gathered}$ |

## Year 1 Multiplication

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Doubling | Model doubling using dienes and PV counters. | Draw pictures and representations to show how to double numbers | Partition a number and then double each part before recombining it back together. |
| Counting in multi- <br> ples of 2, 3, 4, 5, 10 <br> fromo <br> (repeated addition) | Count the groups as children are skip counting, children may use their fingers as they are skip counting. Use bar models. $5+5+5+5+5+5+5+5=40$ | Number lines, counting sticks and bar models should be used to show representation of counting in multiples. <br> 3 <br> 3 <br> 3 | Count in multiples of a number aloud. <br> Write sequences with multiples of numbers. <br> 0, 2, 4, 6, 8, 10 <br> 0, 3, 6, 9, 12, 15 <br> $0,5,10,15,20,25,30$ $4 \times 3=$ $\square$ |

## Year 1/2 Multiplication

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Multiplication is commutative | Create arrays using counters and cubes and <br> Numicon. <br> Pupils should understand that an array can represent different equations and that, as multiplication is commutative, the order of the multiplication does not affect the answer. | Use representations of arrays to show different calculations and explore commutativity. | $\begin{aligned} & 12=3 \times 4 \\ & 12=4 \times 3 \end{aligned}$ <br> Use an array to write multiplication sentences and reinforce repeated addition. $\left\lvert\, \begin{aligned} & 5+5+5=15 \\ & 3+3+3+3+3=15 \\ & 5 \times 3=15 \\ & 3 \times 5=15 \end{aligned}\right.$ |
| Using the Inverse <br> This should be taughtalongside division, so pupils leam how they work alongside each other. |  |  | $\begin{aligned} & 2 \times 4=8 \\ & 4 \times 2=8 \\ & 8 \div 2=4 \\ & 8 \div 4=2 \\ & 8=2 \times 4 \\ & 8=4 \times 2 \\ & 2=8 \div 4 \\ & 4=8 \div 2 \end{aligned}$ <br> Show all 8 related fact family sentences. |

## Year 3 Multiplication



## Year 4 Multiplication

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Grid method recap from year 3 for 2 digits $\times 1$ digit <br> Move to multiplying 3 digit numbers by 1 digit. (year 4 expectation) | Use place value counters to show how we are finding groups of a number. We are multiplying by 4 so we need 4 rows <br> Fill each row with 126 <br> Add up each colu making any exchanges needed | Children can represent theirwork with place value counters in a way that they understand. <br> They can draw the counters using colours to show different amounts or just use the circles in the different columns to show their thinking as shown below. | Start with multiplying by one digitnumbers and showing the clear addition alongside the grid. $210+35=245$ |
| Column multiplication | Children can continue to be supported by place value counters at the stage of multiplication. This initiallydone where there is no regrouping. $321 \times 2=642$ <br> It is important at this stage that they always multiply the ones first. <br> The corresponding long multiplication is modelled alongside | $\times$ 300 20 7 <br> 4 1200 80 28 <br> The grid method my be used to show how this relates to a formal written method. <br> Bar modelling and number lines can support learners when solving problems with multiplication alongside the formal written methods. |  |

## Years 5/6 Multiplication

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Column Multiplication for 3 and 4 digits $\times 1$ digit. |  <br> It is important at this stage that they always multiply the ones first. <br> Children can continue to be supported by place value counters at the stage of multiplication. This initially done where there is no regrouping. $321 \times 2=642$ | $\times$ 300 20 7 <br> 4 1200 80 28 | $\begin{array}{r} 327 \\ \times \quad 4 \\ \hline 28 \\ 80 \\ 1200 \\ \hline 1308 \end{array}$  <br> This will lead to a compact method. |
| Column multiplication | Manipulatives may still be used with the corresponding long multiplication modelled alongside. | Continue to use bar modelling to support problem solving |  1 8 <br> $\times$ 1 3 <br>  5 4 <br> 1 8 0 <br> 2 3 4 <br> $18 \times 3$ on the first row <br> ( $8 \times 3=24$, carrying the 2 for 20 , then $1 \times 3$ ) $18 \times 10$ on the 2nd row. Show multiplying by 10 by putting zeroin units first |

## Year 6 Multiplication



## Year 1 Division



## Year 2 Division

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Division as sharing | 1 have 10 cubes, can you share them equally in 2 groups? | Children use pictures or shapes to share quantities. <br> Children use bar modelling to show and support understanding. $12 \div 4=3$ | $12 \div 3=4$ |
| Division as grouping | Divide quantities into equal groups. <br> Use cubes, counters, objects or place value counters to aid understanding. | Use number lines for grouping <br>  ber of groups you are dividing by and work out how many would be with in each group. $\begin{aligned} & 20 \div 5=? \\ & 5 \times ?=20 \end{aligned}$ | $28 \div 7=4$ <br> Divide 28 into 7 groups. How many are in each group? |

## Year 3 Division

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Division as grouping | Use cubes, counters, objects or place value counters to aid understanding. <br> 24 dividedinto groups of $6=4$ $96 \div 3=32$ | Continue to use bar modelling to aid solving division problems. $\begin{aligned} & 20 \div 5=? \\ & 5 \times ?=20 \end{aligned}$ | How many groups of 6 in $\begin{gathered} 24 ? \\ 24 \div 6=4 \end{gathered}$ |
| Division with arrays | Link division to multiplication by creating an array and thinking about the number sentencesthat can be created. $\begin{array}{rr} \mathrm{Eg} 15 \div 3=5 & 5 \times 3=15 \\ 15 \div 5=3 & 3 \times 5=15 \end{array}$ | Draw an array and use lines to split the array into groups to make multiplication and division sentences | Find the inverse of multiplication and division sentences by creating eight linking number sentences. $\begin{aligned} & 7 \times 4=28 \\ & 4 \times 7=28 \\ & 28 \div 7=4 \\ & 28 \div 4=7 \\ & 28=7 \times 4 \\ & 28=4 \times 7 \\ & 4=28 \div 7 \\ & 7=28 \div 4 \end{aligned}$ |

## Year 3/4 Division

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Division with remainders. | $14 \div 3=$ <br> Divide objects between groups and see how much is left over <br> $40-5$ <br> Ask 'How many <br> Example with re $38 \rightarrow 6$ <br> For larger number | Jump forward in equal jumps on a number line then see how many more you need to jump to find a remainder. <br> Draw dots and group them to divide an amount and clearly show a remainder. <br>  <br> Use bar models to show division with remainders. <br> remainder: <br> $5 s$ in $40 ?$ <br> mainder: <br> rs, when it becomes inefficient to count in single mu orded using known facts. | Complete written divisions and show the remainder usingr. <br> res <br> a remainder of 2 <br> Itiples, bigger |

## Year 4/5 Division



## Year 6 Division

## Long Division

Step 1-a remainder in the ones

$$
4 \longdiv { \begin{array} { l } 
{ h t \circ } \\
{ 0 4 1 R 1 } \\
{ 1 6 5 }
\end{array} }
$$

4 does not go into 1 (hundred). So combine the 1 hundred with the 6 tens (160).
4 goes into 16 four times.
4 goes into 5 once, leaving a remainder of 1

$$
8 \longdiv { \begin{array} { l } 
{ \text { th hto } } \\
{ 0 4 0 0 R 7 } \\
{ 3 2 0 7 }
\end{array} }
$$

8 does not go into 3 of the thousands. So combine the 3 thousands with the 2 hundreds $(3,200)$.
8 goes into 32 four times $(3,200 \div 8=400)$
8 goes into 0 zero times (tens).
8 goes into 7 zero times, and leaves a remainder of 7 .

## Year 6 Division

## Long Division

## Step 1 continued.

$$
\begin{array}{r}
h t o \\
061 \\
4 \longdiv { 2 4 7 } \\
\frac{-4}{3}
\end{array}
$$

When dividing the ones, 4 goes into 7 one time. Multiply $1 \times 4=4$, write that four under the 7 , and subract. This finds us the remainder of 3

Check: $4 \times 61+3=247$
$4 \lcm{0402}$
1609
$\frac{-8}{1}$
When dividing the ones, 4 goes into 9 two times. Multiply $2 \times 4=8$, write that eight under the 9 , and subract. This finds us the remainder of 1 .

Check: $4 \times 402+1=1,609$

## Year 6 Division

## Long Division

Step 2-a remainder in the tens

| 1. Divide. | 2. Multiply \& subtract. | 3. Drop down the next digit. |
| :---: | :---: | :---: |
| $\begin{gathered} { }^{t \circ} \\ 2 \longdiv { 2 } \\ 2 \longdiv { 5 8 } \end{gathered}$ <br> Two goes into 5 two times, or 5 tens $+2=2$ whole tens -- but there is a remainder! | $\begin{gathered} t \circ \\ 2 \\ 2 \longdiv { 5 8 } \\ \frac{-4}{1} \end{gathered}$ <br> To find it, multiply $2 \times 2=4$, write that 4 under the five, and subtract to find the remainder of 1 ten. | $\begin{array}{r} t \circ \\ 29 \\ 2 \longdiv { 5 8 } \\ -41 \\ \hline 18 \end{array}$ <br> Next, drop down the 8 of the ones next to the leftover 1 ten. You combine the remainder ten with 8 ones, and get 18. |


| 1. Divide. | 2. Multiply \& subtract. | 3. Drop down the next digit. |
| :---: | :---: | :---: |
| $\begin{array}{r} t \circ \\ 29 \\ 2 \longdiv { 5 8 } \\ =-4 \\ -18 \end{array}$ <br> Divide 2 into 18. Place 9 into the quotient. | $\begin{array}{r} t \circ \\ 29 \\ 2 \longdiv { 5 8 } \\ -48 \\ -18 \\ -18 \end{array}$ <br> Multiply $9 \times 2=18$, write that 18 under the 18 , and subtract. | $\begin{array}{r} t \circ \\ 29 \\ 2 \longdiv { 5 8 } \\ -48 \\ -18 \end{array}$ <br> The division is over since there are no more digits in the dividend. The quotient is 29 . |

## Year 6 Division

| Long Division |  |  |
| :---: | :---: | :---: |
| Step 2-a remainder in any of the place values |  |  |
| 1. Divide. | 2. Multiply \& subtract. | 3. Drop down the next digit. |
| $2 \longdiv { h ^ { t \circ } }$ <br> Two goes into 2 one time, or 2 hundreds $+2=1$ hundred. | $\begin{gathered} h: \circ \\ 2 \longdiv { 1 } \begin{array} { c }  { \frac { 1 } { 2 7 8 } } \\ { \frac { - 2 } { 0 } } \end{array} . \end{gathered}$ <br> Multiply $1 \times 2=2$, write that 2 under the two, and subtract to find the remainder of zero. | $\begin{gathered} h: 0 \\ 18 \\ 2 \longdiv { 2 7 8 } \\ -\frac{2}{07} \end{gathered}$ <br> Next, drop down the 7 of the tens next to the zero. |
| Divide. | Multiply \& subtract. | Drop down the next digit. |
| $\begin{gathered} h 80 \\ 13 \\ 2 \longdiv { 2 7 8 } \\ -\frac{2}{07} \end{gathered}$ <br> Divide 2 into 7. Place 3 into the quotient. | $\begin{gathered} h: 0 \\ 2 \longdiv { 2 3 7 8 } \\ \frac{-2}{07} \\ =\frac{6}{1} \end{gathered}$ <br> Multiply $3 \times 2=6$, write that 6 under the 7 , and subtract to find the remainder of 1 ten. | $\begin{gathered} h: 0 \\ 13 \\ 2 \longdiv { 2 7 8 } \\ -\frac{2}{07} \\ -\quad 6 \\ \hline 18 \end{gathered}$ <br> Next, drop down the 8 of the ones next to the 1 leffover ten. |
| 1. Divide. | 2. Multiply \& subtract. | 3. Drop down the next digit. |
| $\begin{aligned} & h: 0 \\ & 139 \\ & 2 \longdiv { 2 7 8 } \\ & -27 \\ & \hline 07 \\ & -\quad 6 \\ & \hline 18 \end{aligned}$ <br> Divide 2 into 18. Place 9 into the quotient. | $\begin{array}{r} h 70 \\ 2 \longdiv { 1 3 9 } \\ \hline-278 \\ \hline 07 \\ -\quad 6 \\ \hline 18 \\ -18 \\ \hline 0 \end{array}$ <br> Multiply $9 \times 2=18$, write that 18 under the 18 , and subtract to find the remainder of zero. | $\begin{aligned} & h: 8 \\ & 139 \\ & 2 \longdiv { 2 7 8 } \\ & -\frac{2}{0} 7 \\ & -\quad 6 \\ & \hline 18 \\ & -18 \end{aligned}$ <br> There are no more digits to drop down. The quotient is 139 . |

